



# *Python and its libraries for scientific applications*

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# *What is Python?*

Python is an interpreted, interactive, object-oriented programming language. It incorporates modules, exceptions, dynamic typing, very high level dynamic data types, and classes. Python combines remarkable power with very clear syntax. It has interfaces to many system calls and libraries, as well as to various window systems, and is extensible in C or C++. It is also usable as an extension language for applications that need a programmable interface. Finally, Python is portable: it runs on many Unix variants, on the Mac, and on Windows 2000 and later.

<https://www.python.org/>

<https://docs.python.org/3/faq/>

# *Why Python?*

- **Batteries included** Rich collection of already existing bricks of classic numerical methods, plotting or data processing tools. We don't want to re-program the plotting of a curve, a Fourier transform or a fitting algorithm. Don't reinvent the wheel!
- **Easy to learn** Most scientists are not paid as programmers, neither have they been trained so. They need to be able to draw a curve, smooth a signal, do a Fourier transform in a few minutes.
- **Easy communication** To keep code alive within a lab or a company it should be as readable as a book by collaborators, students, or maybe customers. Python syntax is simple, avoiding strange symbols or lengthy routine specifications that would divert the reader from mathematical or scientific understanding of the code.
- **Efficient code** Python numerical modules are computationally efficient. But needless to say that a very fast code becomes useless if too much time is spent writing it. Python aims for quick development times and quick execution times.
- **Universal** Python is a language used for many different problems. Learning Python avoids learning a new software for each new problem.

<https://scipy-lectures.org/>

# Python Syntax

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## 3. An Informal Introduction to Python

In the following examples, input and output are distinguished by the presence or absence of prompts (`>>>` and `...:`): to repeat the example, you must type everything after the prompt, when the prompt appears; lines that do not begin with a prompt are output from the interpreter. Note that a secondary prompt on a line by itself in an example means you must type a blank line; this is used to end a multi-line command.

Many of the examples in this manual, even those entered at the interactive prompt, include comments. Comments in Python start with the hash character, `#`, and extend to the end of the physical line. A comment may appear at the start of a line or following whitespace or code, but not within a string literal. A hash character within a string literal is just a hash character. Since comments are to clarify code and are not interpreted by Python, they may be omitted when typing in examples.

Some examples:

```
# this is the first comment
spam = 1 # and this is the second comment
        # ... and now a third!
text = "# This is not a comment because it's inside quotes."
```

### 3.1. Using Python as a Calculator

Let's try some simple Python commands. Start the interpreter and wait for the primary prompt, `>>>`. (It shouldn't take long.)

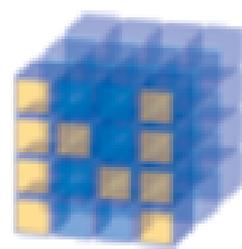
<https://docs.python.org/>

<https://docs.python.org/3.8/tutorial/>

# *Python Syntax*

```
>>> print("Hello, World!")
```

```
Hello, World!
```



**NumPy**  
Base N-dimensional  
array package

**IP[y]:**  
IPython

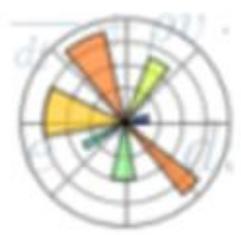
**IPython**  
Enhanced interactive  
console



**SciPy library**  
Fundamental library for  
scientific computing



**SymPy**  
Symbolic mathematics



**Matplotlib**  
Comprehensive 2-D  
plotting



**pandas**  
Data structures &  
analysis

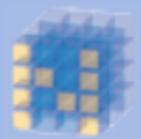
## NumPy

NumPy is the fundamental package for scientific computing with Python. It contains among other things:

- a powerful N-dimensional array object
- sophisticated (broadcasting) functions
- tools for integrating C/C++ and Fortran code
- useful linear algebra, Fourier transform, and random number capabilities

Besides its obvious scientific uses, NumPy can also be used as an efficient multi-dimensional container of generic data. Arbitrary data-types can be defined. This allows NumPy to seamlessly and speedily integrate with a wide variety of databases.

<https://numpy.org/devdocs/user/quickstart.html>



```
>>> import numpy as np
>>> a = np.arange(15).reshape(3, 5)
>>> a
array([[ 0,  1,  2,  3,  4],
       [ 5,  6,  7,  8,  9],
       [10, 11, 12, 13, 14]])
>>> a.shape
(3, 5)
>>> a.ndim
2
>>> a.dtype.name
'int64'
>>> a.itemsize
8
>>> a.size
15
```



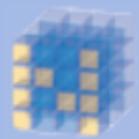
```
>>> np.zeros( (3,4) )
```

```
array([[ 0.,  0.,  0.,  0.],  
       [ 0.,  0.,  0.,  0.],  
       [ 0.,  0.,  0.,  0.]])
```

```
>>> np.ones( (2,3,4), dtype=np.int16 )
```

*be specified*

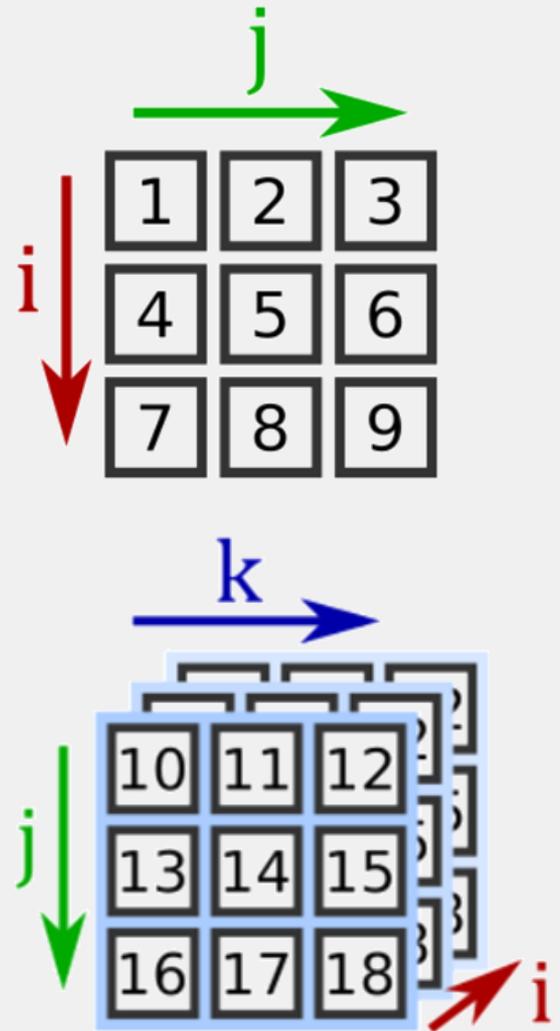
```
array([[[[ 1, 1, 1, 1],  
         [ 1, 1, 1, 1],  
         [ 1, 1, 1, 1]],  
       [[ 1, 1, 1, 1],  
         [ 1, 1, 1, 1],  
         [ 1, 1, 1, 1]]], dtype=int16)
```



# NumPy *Indexing and slicing*

```
v = [[1, 2, 3],  
     [4, 5, 6],  
     [7, 8, 9]]
```

```
print(v[2][1]) # 8  
print(a2[2]) # [7, 8, 9]  
print(a2[:, 1]) # [2, 5, 8]
```





```
>>> a = np.array( [20,30,40,50] )
>>> b = np.arange( 4 )
>>> b
array([0, 1, 2, 3])
>>> c = a-b
>>> c
array([20, 29, 38, 47])
>>> b**2
array([0, 1, 4, 9])
>>> 10*np.sin(a)
array([ 9.12945251, -9.88031624,  7.4511316 , -2.62374854])
>>> a<35
array([ True,  True, False, False])
```



&gt;&gt;&gt;

```
>>> A = np.array( [[1,1],
...               [0,1]] )
>>> B = np.array( [[2,0],
...               [3,4]] )
>>> A * B                                     # elementwise product
array([[2, 0],
       [0, 4]])
>>> A @ B                                     # matrix product
array([[5, 4],
       [3, 4]])
>>> A.dot(B)                                 # another matrix product
array([[5, 4],
       [3, 4]])
```



```
>>> a = np.array([[1.0, 2.0], [3.0, 4.0]])
```

```
>>> print(a)
```

```
[[ 1.  2.]  
 [ 3.  4.]
```

```
>>> a.transpose()
```

```
array([[ 1.,  3.],  
       [ 2.,  4.]])
```

```
>>> np.linalg.inv(a)
```

```
array([[ -2. ,  1. ],  
       [ 1.5, -0.5]])
```

```
>>> u = np.eye(2) # unit 2x2 matrix; "eye" represents "I"
```

```
>>> u
```

```
array([[ 1.,  0.],  
       [ 0.,  1.]])
```



```
>>> j = np.array([[0.0, -1.0], [1.0, 0.0]])
```

```
>>> j @ j      # matrix product
```

```
array([[ -1.,  0.],  
       [ 0., -1.]])
```

```
>>> np.trace(u) # trace
```

```
2.0
```

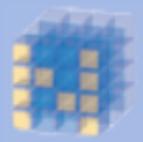
```
>>> y = np.array([[5.], [7.]])
```

```
>>> np.linalg.solve(a, y)
```

```
array([[ -3.],  
       [ 4.]])
```

```
>>> np.linalg.eig(j)
```

```
(array([ 0.+1.j,  0.-1.j]), array([[ 0.70710678+0.j          ,  0.70710678-0.j          ],  
                                   [ 0.00000000-0.70710678j,  0.00000000+0.70710678j]]))
```



NumPy

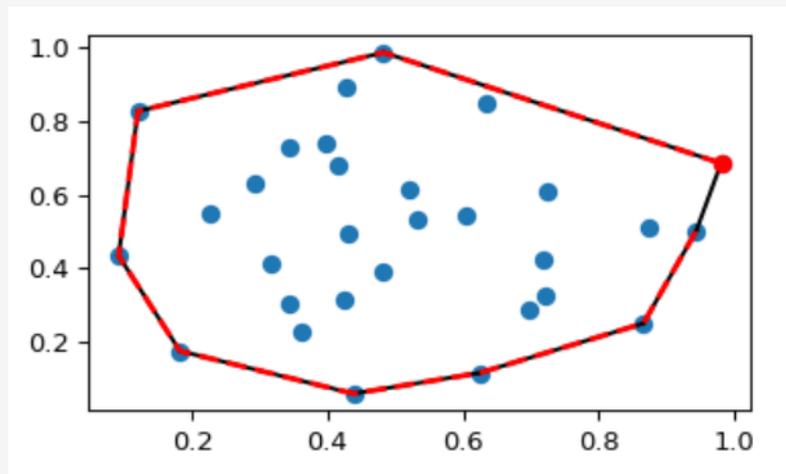
***EXAMPLE***

- Special functions (`scipy.special`)
- Integration (`scipy.integrate`)
- Optimization (`scipy.optimize`)
- Interpolation (`scipy.interpolate`)
- Fourier Transforms (`scipy.fft`)
- Signal Processing (`scipy.signal`)
- Linear Algebra (`scipy.linalg`)
- Sparse eigenvalue problems with ARPACK
- Compressed Sparse Graph Routines (`scipy.sparse.csgraph`)
- Spatial data structures and algorithms (`scipy.spatial`)
- Statistics (`scipy.stats`)
- Multidimensional image processing (`scipy.ndimage`)

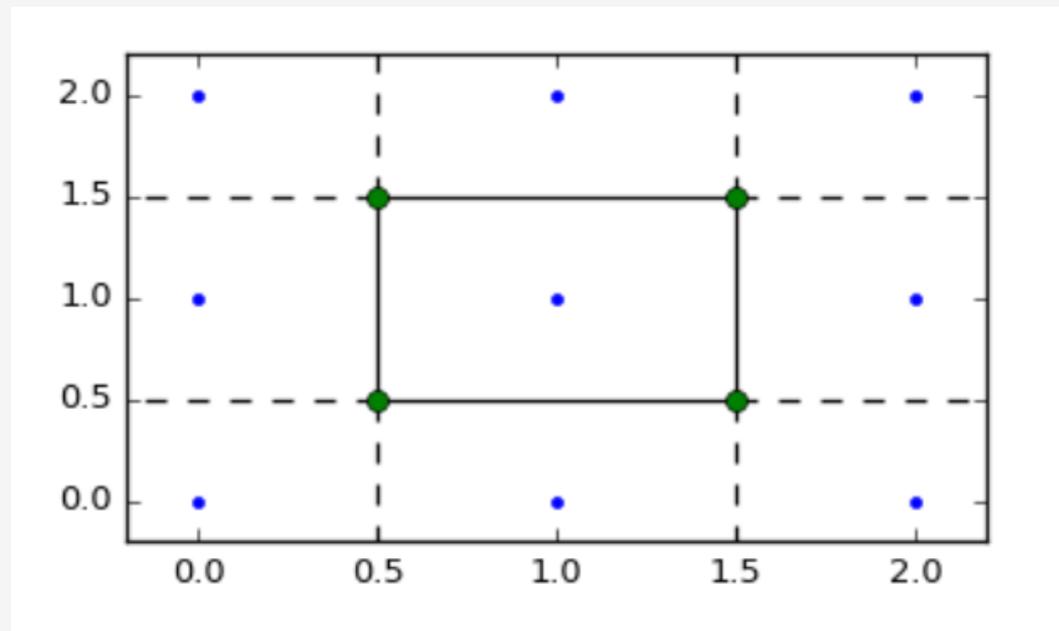
```
>>> from scipy.spatial import ConvexHull, convex_hull_plot_2d
>>> points = np.random.rand(30, 2)  # 30 random points in 2-D
>>> hull = ConvexHull(points)

>>> import matplotlib.pyplot as plt
>>> plt.plot(points[:,0], points[:,1], 'o')
>>> for simplex in hull.simplices:
...     plt.plot(points[simplex, 0], points[simplex, 1], 'k-')

>>> plt.plot(points[hull.vertices,0], points[hull.vertices,1], 'r--', lw=2)
>>> plt.plot(points[hull.vertices[0],0], points[hull.vertices[0],1], 'ro')
>>> plt.show()
```



```
>>> points = np.array([[0, 0], [0, 1], [0, 2], [1, 0], [1, 1], [1, 2],  
...                    [2, 0], [2, 1], [2, 2]])  
>>> from scipy.spatial import Voronoi, voronoi_plot_2d  
>>> vor = Voronoi(points)  
  
>>> import matplotlib.pyplot as plt  
>>> voronoi_plot_2d(vor)  
>>> plt.show()
```



The function [quad](#) is provided to integrate a function of one variable between two points. The points can be  $\pm\infty$  ( $\pm$  inf) to indicate infinite limits. For example, suppose you wish to integrate a *bessel* function  $jv(2.5, x)$  along the interval  $[0,4.5]$ .

$$I = \int_0^{4.5} J_{2.5}(x) dx$$

$$x^2 \frac{d^2 y}{dx^2} + x \frac{dy}{dx} + (x^2 - \alpha^2)y = 0$$

```
>>> import scipy.integrate as integrate
>>> import scipy.special as special
>>> result = integrate.quad(lambda x: special.jv(2.5,x), 0, 4.5)
>>> result
(1.1178179380783249, 7.8663172481899801e-09)
```

For n-fold integration, scipy provides the function [nquad](#). The integration bounds are an iterable object: either a list of constant bounds, or a list of functions for the non-constant integration bounds. The order of integration (and therefore the bounds) is from the innermost integral to the outermost one.

$$I_n = \int_0^\infty \int_1^\infty \frac{e^{-xt}}{t^n} dt dx = \frac{1}{n}$$

```
>>> from scipy import integrate
>>> N = 5
>>> def f(t, x):
...     return np.exp(-x*t) / t**N
...
>>> integrate.nquad(f, [[1, np.inf],[0, np.inf]])
(0.200000000000002294, 1.2239614263187945e-08)
```

**`scipy.optimize.minimize(fun, x0, args=(), method=None, jac=None, hess=None, hessp=None, bounds=None, constraints=(), tol=None, callback=None, options=None)`**

- Nelder-Mead
- Powell
- CG
- BFGS
- Newton-CG
- L-BFGS-B
- TNC
- COBYLA
- SLSQP
- trust-constr
- dogleg
- trust-ncg
- trust-exact
- trust-krylov

```
>>> import numpy as np
>>> from scipy.optimize import minimize

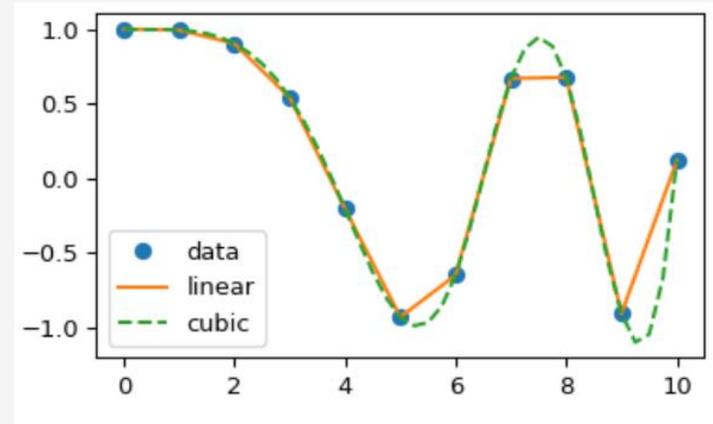
>>> def rosen(x):
...     """The Rosenbrock function"""
...     return sum(100.0*(x[1:]-x[:-1]**2.0)**2.0 + (1-x[:-1])**2.0)

>>> x0 = np.array([1.3, 0.7, 0.8, 1.9, 1.2])
>>> res = minimize(rosen, x0, method='nelder-mead',
...               options={'xatol': 1e-8, 'disp': True})
Optimization terminated successfully.
    Current function value: 0.000000
    Iterations: 339
    Function evaluations: 571

>>> print(res.x)
[1. 1. 1. 1. 1.]
```

The `interp1d` class in `scipy.interpolate` is a convenient method to create a function based on fixed data points, which can be evaluated anywhere within the domain defined by the given data using linear interpolation. An instance of this class is created by passing the 1-D vectors comprising the data. The instance of this class defines a `__call__` method and can therefore be treated like a function which interpolates between known data values to obtain unknown values (it also has a docstring for help). Behavior at the boundary can be specified at instantiation time. The following example demonstrates its use, for linear and cubic spline interpolation:

```
>>> from scipy.interpolate import interp1d
>>> x = np.linspace(0, 10, num=11, endpoint=True)
>>> y = np.cos(-x**2/9.0)
>>> f = interp1d(x, y)
>>> f2 = interp1d(x, y, kind='cubic')
>>> xnew = np.linspace(0, 10, num=41, endpoint=True)
>>> import matplotlib.pyplot as plt
>>> plt.plot(x, y, 'o', xnew, f(xnew), '-', xnew, f2(xnew), '--')
>>> plt.legend(['data', 'linear', 'cubic'], loc='best')
>>> plt.show()
```



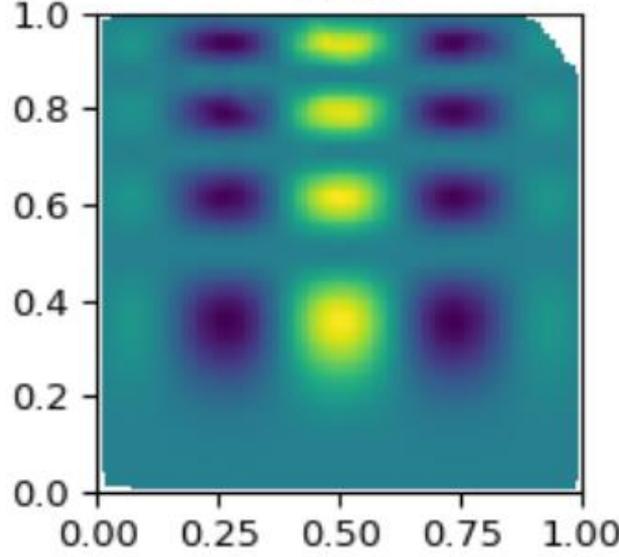
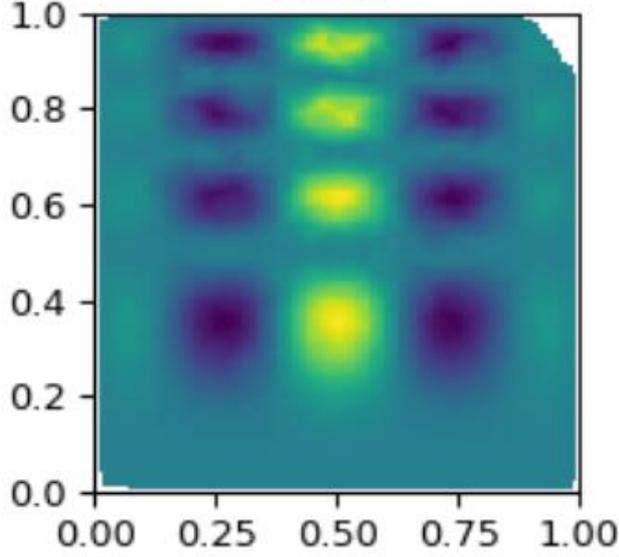
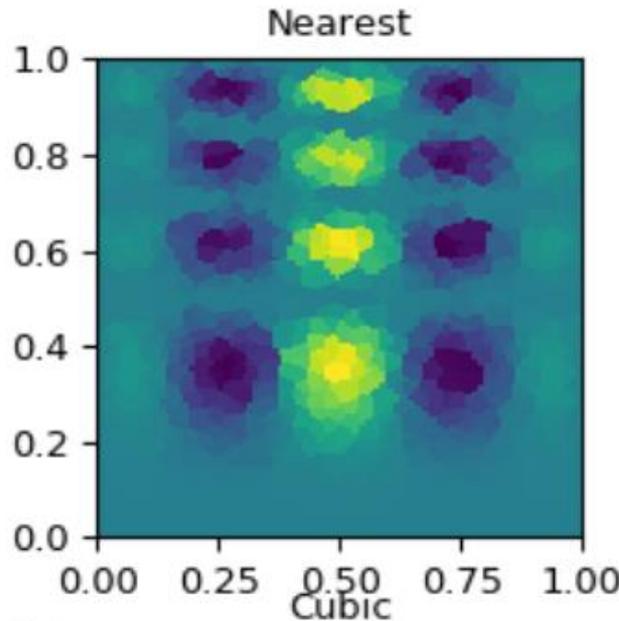
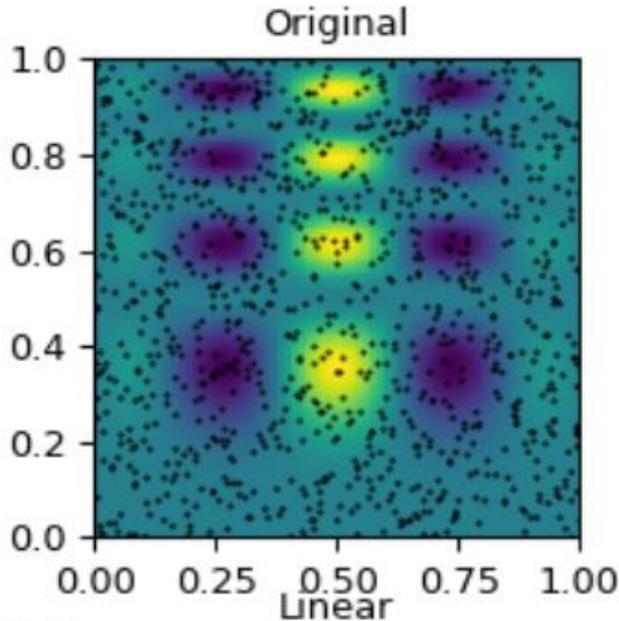
Suppose you have multidimensional data, for instance, for an underlying function  $f(x, y)$  you only know the values at points  $(x[i], y[i])$  that do not form a regular grid.

Suppose we want to interpolate the 2-D function

```
>>> def func(x, y):
...     return x*(1-x)*np.cos(4*np.pi*x) * np.sin(4*np.pi*y**2)**2
>>> grid_x, grid_y = np.mgrid[0:1:100j, 0:1:200j]

>>> points = np.random.rand(1000, 2)
>>> values = func(points[:,0], points[:,1])

>>> from scipy.interpolate import griddata
>>> grid_z0 = griddata(points, values, (grid_x, grid_y), method='nearest')
>>> grid_z1 = griddata(points, values, (grid_x, grid_y), method='linear')
>>> grid_z2 = griddata(points, values, (grid_x, grid_y), method='cubic')
```



*Example*



# SymPy

SymPy is a Python library for symbolic mathematics. It aims to become a full-featured computer algebra system (CAS) while keeping the code as simple as possible in order to be comprehensible and easily extensible. SymPy is written entirely in Python.

```
>>> from sympy import *
>>> x = symbols('x')
>>> a = Integral(cos(x)*exp(x), x)
>>> Eq(a, a.doit())
Eq(Integral(exp(x)*cos(x), x), exp(x)*sin(x)/2
```

<https://docs.sympy.org/>



SymPy

# *Lambdify*

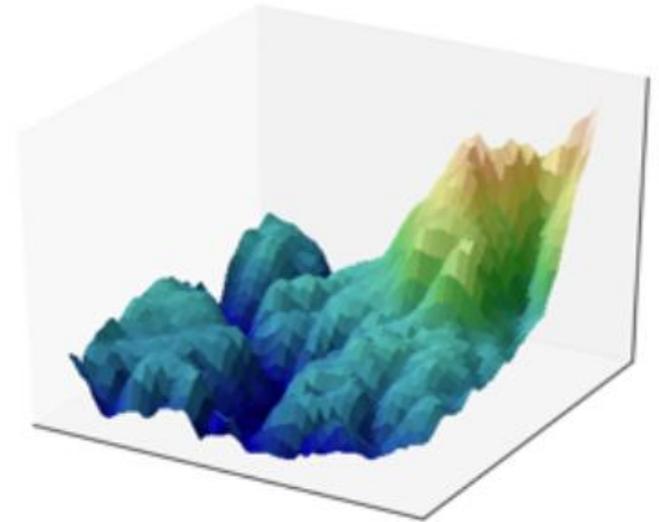
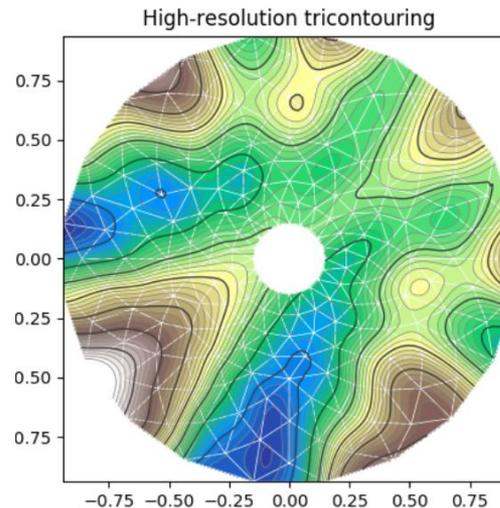
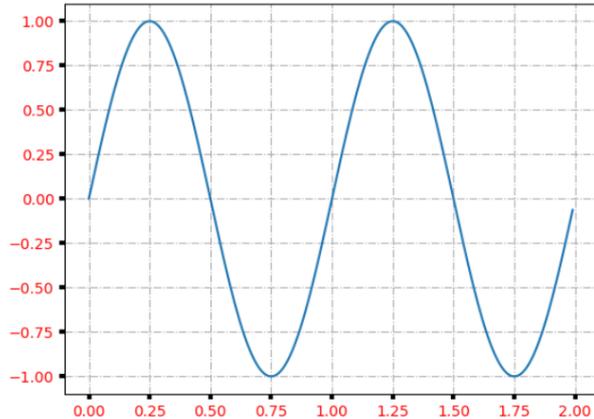
This module provides convenient functions to transform sympy expressions to lambda functions which can be used to calculate numerical values very fast.

```
>>> from sympy.abc import x
>>> from sympy.utilities.lambdify import lambdify, implemented_function
>>> from sympy import Function
>>> f = implemented_function('f', lambda x: x+1)
>>> lam_f = lambdify(x, f(x))
>>> lam_f(4)
5
```

<https://docs.sympy.org/>



Matplotlib is a Python 2D plotting library which produces publication quality figures in a variety of hardcopy formats and interactive environments across platforms. Matplotlib can be used in Python scripts, the Python and [IPython](#) shells, the [Jupyter](#) notebook, web application servers, and four graphical user interface toolkits.



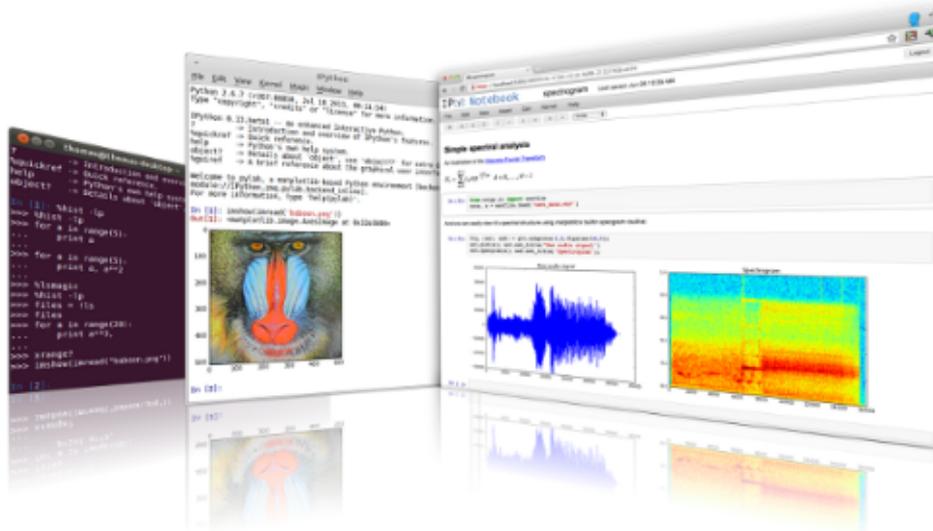
<https://matplotlib.org/>

# IP[y]: IPython Interactive Computing

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IPython provides a rich architecture for interactive computing with:

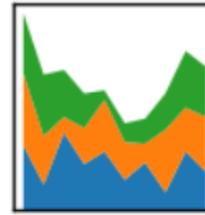
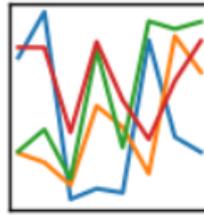
- A powerful interactive shell.
- A kernel for [Jupyter](#).
- Support for interactive data visualization and use of [GUI toolkits](#).
- Flexible, [embeddable](#) interpreters to load into your own projects.
- Easy to use, high performance tools for [parallel computing](#).



<https://ipython.org/>

# pandas

$$y_{it} = \beta' x_{it} + \mu_i + \epsilon_{it}$$



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## Python Data Analysis Library

*pandas* is an open source, BSD-licensed library providing high-performance, easy-to-use data structures and data analysis tools for the [Python](#) programming language.

*pandas* is a [NumFOCUS](#) sponsored project. This will help ensure the success of development of *pandas* as a world-class open-source project, and makes it possible to [donate](#) to the project.

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# NUMFOCUS

OPEN CODE = BETTER SCIENCE

v0.25.3 Final (October 31, 2019)

<https://pandas.pydata.org/>

### VERSIONS

#### Release Candidate

1.0.0 - January 2020

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#### Release

0.25.3 - November 2019

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#### Development

1.0.0 - September 2019

[github](#) // [docs](#)

#### Previous Releases

0.25.2 - [download](#) // [docs](#) // [pdf](#)

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# *Overview*

NetworkX is a Python package for the creation, manipulation, and study of the structure, dynamics, and functions of complex networks.

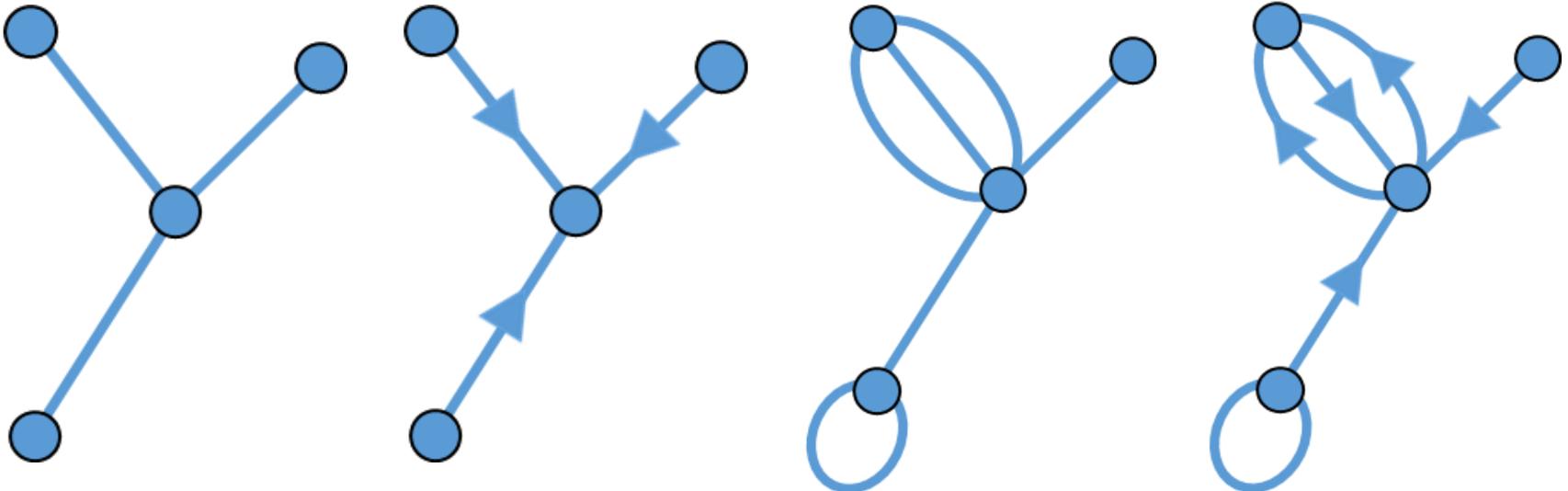
NetworkX provides:

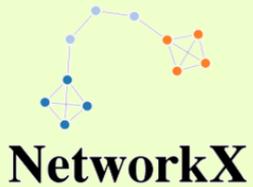
- tools for the study of the structure and dynamics of social, biological, and infrastructure networks;
- a standard programming interface and graph implementation that is suitable for many applications;
- a rapid development environment for collaborative, multidisciplinary projects;
- an interface to existing numerical algorithms and code written in C, C++, and FORTRAN; and the ability to painlessly work with large nonstandard data sets.

<https://networkx.github.io/>

# *Graph types*

- **Graph** - Undirected graphs without self loops and parallel edges
- **DiGraph** - Directed graphs without self loops and parallel edges
- **MultiGraph** - Undirected graphs with self loops and parallel edges
- **MultiDiGraph** - Directed graphs with self loops and parallel edges





# *Algorithms*

```
>>> import networkx.algorithms.isomorphism as iso
>>> G1 = nx.DiGraph()
>>> G2 = nx.DiGraph()
>>> nx.add_path(G1, [1,2,3,4], weight=1)
>>> nx.add_path(G2, [10,20,30,40], weight=2)
>>> em = iso.numerical_edge_match('weight', 1)
>>> nx.is_isomorphic(G1, G2) # no weights considered
True
>>> nx.is_isomorphic(G1, G2, edge_match=em) # match weights
False
```



# What is it?

## Open source toolkit for cheminformatics

- Business-friendly BSD license
- Core data structures and algorithms in C++
- Python 3.x wrappers generated using Boost.Python
- Java and C# wrappers generated with SWIG
- 2D and 3D molecular operations
- Descriptor generation for machine learning
- Molecular database cartridge for PostgreSQL
- Cheminformatics nodes for KNIME (distributed from the KNIME community site: <https://www.knime.com/rdkit>)

<https://www.rdkit.org/>



# *Reading and Writing Molecules*

```
>>> from __future__ import print_function
>>> from rdkit import Chem

>>> m = Chem.MolFromSmiles('Cc1ccccc1')
>>> m = Chem.MolFromMolFile('data/input.mol')
>>> stringWithMolData=open('data/input.mol','r').read()
>>> m = Chem.MolFromMolBlock(stringWithMolData)
>>> m = Chem.MolFromMolFile('data/chiral.mol')
>>> Chem.MolToSmiles(m)
'C[C@H](O)c1ccccc1'
>>> Chem.MolToSmiles(m,isomericSmiles=False)
'CC(O)c1ccccc1'

>>> Chem.MolToSmiles(Chem.MolFromSmiles('C1=CC=CN=C1'))
'c1ccncc1'
>>> Chem.MolToSmiles(Chem.MolFromSmiles('c1cccnc1'))
'c1ccncc1'
>>> Chem.MolToSmiles(Chem.MolFromSmiles('n1ccccc1'))
'c1ccncc1'
```

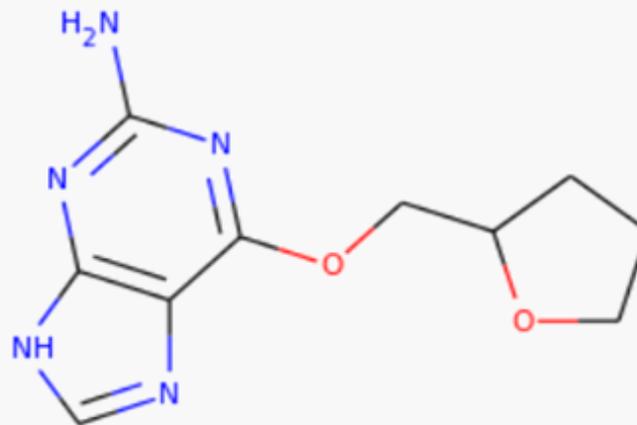
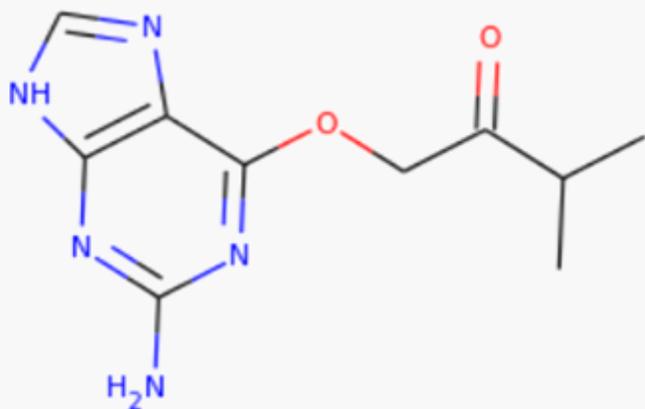


# Working with 2D and 3D molecules

```
>>> m = Chem.MolFromSmiles('c1ncccc2n1ccc2')
>>> AllChem.Compute2DCoords(m)

>>> m = Chem.MolFromSmiles('C1CCC1OC')
>>> m2=Chem.AddHs(m)
>>> AllChem.EmbedMolecule(m2)

>>> Draw.MolToFile(ms[0], 'images/cdk2_mol1.o.png')
>>> Draw.MolToFile(ms[1], 'images/cdk2_mol2.o.png')
```





# *Substructure Searching*

```
>>> m = Chem.MolFromSmiles('c1cccccc1O')
>>> patt = Chem.MolFromSmarts('ccO')
>>> m.HasSubstructMatch(patt)
True
>>> m.GetSubstructMatch(patt)
(0, 5, 6)

>>> m.GetSubstructMatches(patt)
((0, 5, 6), (4, 5, 6))
```



# *Maximum Common Substructure*

```
>>> from rdkit.Chem import rdFMCS
>>> mol1 = Chem.MolFromSmiles("O=C(NCc1cc(OC)c(O)cc1)CCCC/C=C/C(C)C")
>>> mol2 = Chem.MolFromSmiles("CC(C)CCCCC(=O)NCC1=CC(=C(C=C1)O)OC")
>>> mol3 = Chem.MolFromSmiles("c1(C=O)cc(OC)c(O)cc1")
>>> mols = [mol1,mol2,mol3]
>>> res=rdFMCS.FindMCS(mols)
>>> res
<rdkit.Chem.rdFMCS.MCSResult object at 0x...>
>>> res.numAtoms
10
>>> res.numBonds
10
>>> res.smartsString
'[#6]1(-[#6]):[#6]:[#6](-[#8]-[#6]):[#6](:[#6]:[#6]:1)-[#8]'
>>> res.canceled
False
```



# *Molecular fingerprints and Similarity*

- MACCS Keys
- Atom Pairs
- Topological Torsions
- Morgan/Circular
- 2D Pharmacophore
- Pattern
- Extended Reduced Graphs



# *Molecular descriptors*

- Gasteiger PC
- Marsili PC
- BalabanJ
- BertzCT
- Ipc
- HallKierAlpha
- Kappa1 - Kappa3
- Chi0, Chi1
- Chi0n - Chi4n
- Chi0v - Chi4v
- MolLogP
- MolMR
- MolWt
- ExactMolWt
- HeavyAtomCount
- HeavyAtomMolWt
- NHOHCount
- NOCount
- NumHAcceptors
- NumHDonors
- NumHeteroatoms
- NumRotatableBonds
- NumValenceElectrons
- NumAmideBonds
- RingCount
- FractionCSP3
- NumSpiroAtoms
- NumBridgeheadAtoms
- TPSA
- LabuteASA
- Sphericity Index
- Autocorr3D
- PEOE\_VSA1 - PEOE\_VSA14
- SMR\_VSA1 - SMR\_VSA10
- SlogP\_VSA1 - SlogP\_VSA12
- EState\_VSA1 - EState\_VSA11
- VSA\_EState1 - VSA\_EState10
- MQNs
- Topliss fragments
- Autocorr2D
- PMI1, PMI2, PMI3
- NPR1, NPR2
- Radius of gyration
- Inertial shape factor
- Eccentricity
- Asphericity



*Example*

# *PyCifRW*

PyCIFRW provides support for reading and writing CIF (Crystallographic Information Format) files using Python. It was developed at the Australian National Beamline Facility (ANBF), run by the Australian Synchrotron Research Program (ASRP), as part of a larger project to provide CIF input/output capabilities for data collection. It is now (Mar 2017) maintained and developed within the Australian Nuclear Science and Technology Organisation (ANSTO).

<https://pypi.org/project/PyCifRW/4.3/>

*Example*

# *Atomic Simulation Environment*

The Atomic Simulation Environment (ASE) is a set of tools and Python modules for setting up, manipulating, running, visualizing and analyzing atomistic simulations. The code is freely available under the GNU LGPL license.

ASE provides interfaces to different codes through Calculators which are used together with the central Atoms object and the many available algorithms in ASE.

## *Supported*



<https://wiki.fysik.dtu.dk/ase/>

# *Calculations*

## **Basic property calculations**

- Atomization energy
- Equation of state (EOS)
- Finding lattice constants using EOS and the stress tensor
- Local optimization

## **Molecular dynamics**

## **Global optimization**

- Constrained minima hopping (global optimization)
- Optimization with a Genetic Algorithm
- Genetic algorithm Search for stable FCC alloys
- Determination of convex hull with a genetic algorithm

## **Calculation of reaction coordinates**

- Nudged Elastic Band (NEB) method
- Dimer method



TSASE is an extension to ASE for transition state calculations. If you are looking for our Solid State NEB or Kinetic Database code, you are in the right place.

## **Saddle Searches**

Several varieties of saddle searches methods are available in this library including solid-state dimer, lanczos, bgzd, and solid-state neb.

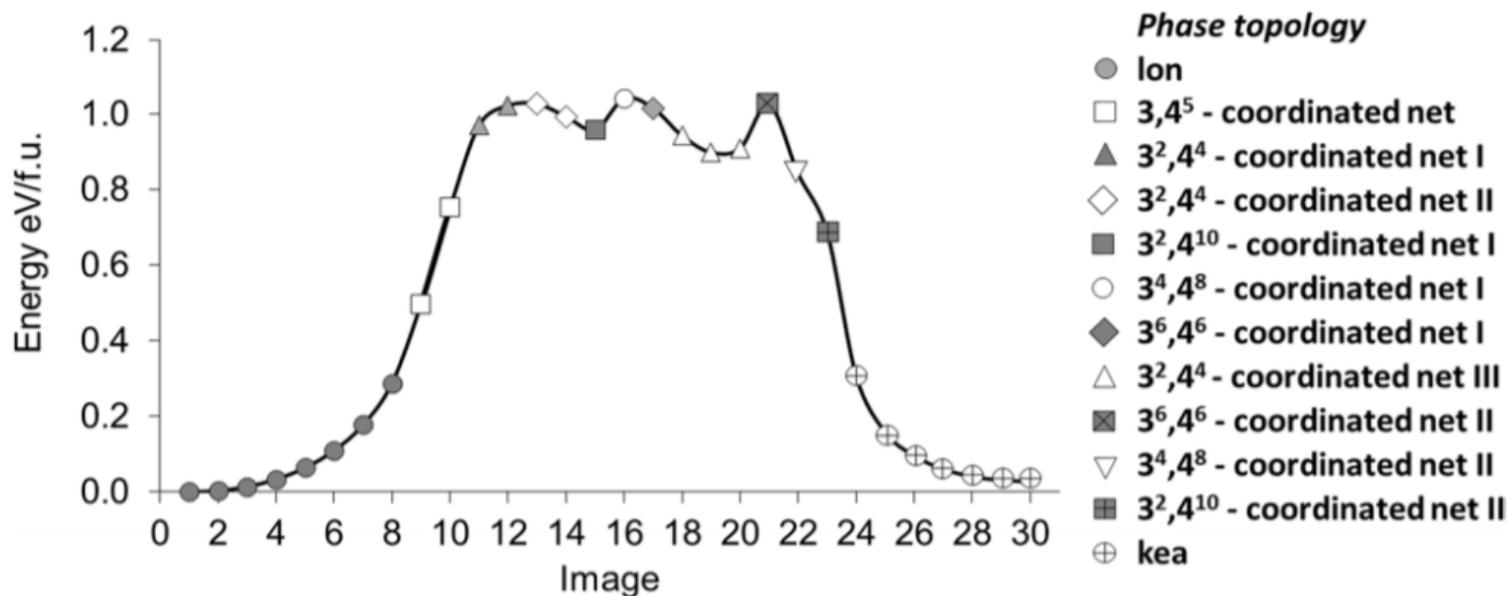
- Solid State Dimer
- Biased Gradient Squared Descent
- Solid State Nudge Elastic Band
- Lanczos

<https://theory.cm.utexas.edu/tsase/>

Example

## *Network topological model of reconstructive solid-state transformations*

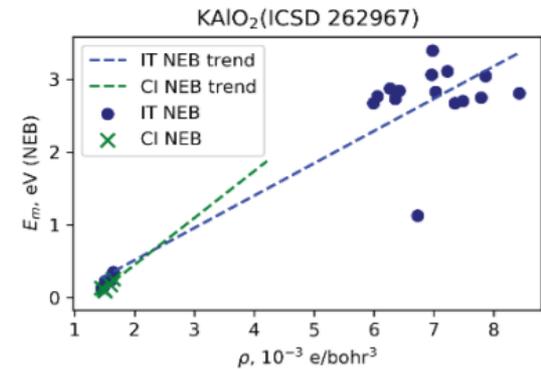
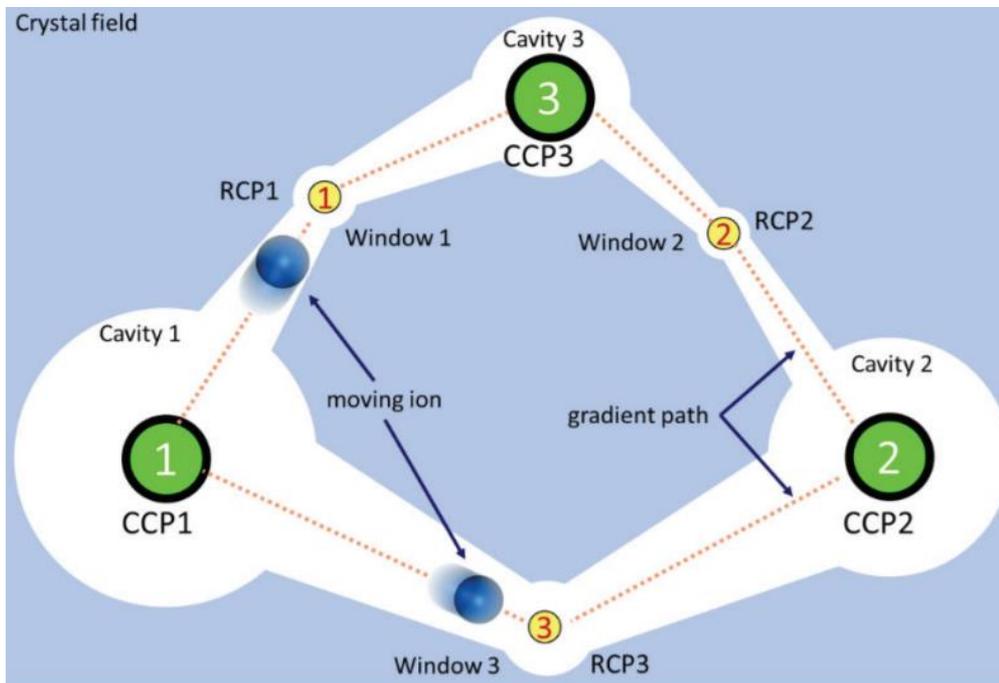
Vladislav A. Blatov, Andrey A. Golov, Changhao Yang, Qingfeng Zeng, & Artem A. Kabanov



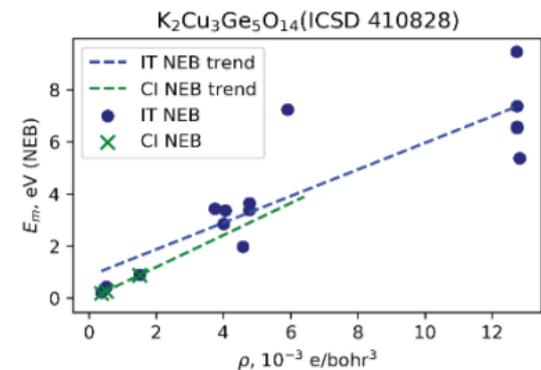
**Figure 4.** Energy profile for the tridymite ↔ keatite transition.

# *Topological analysis of procystal electron densities as a tool for computational modeling of solid electrolytes: A case study of known and promising potassium conductors*

Pavel N. Zolotarev, Andrey A. Golov, Nadezhda A. Nekrasova, and Roman A. Eremin



(a)



Thank you for your attention!